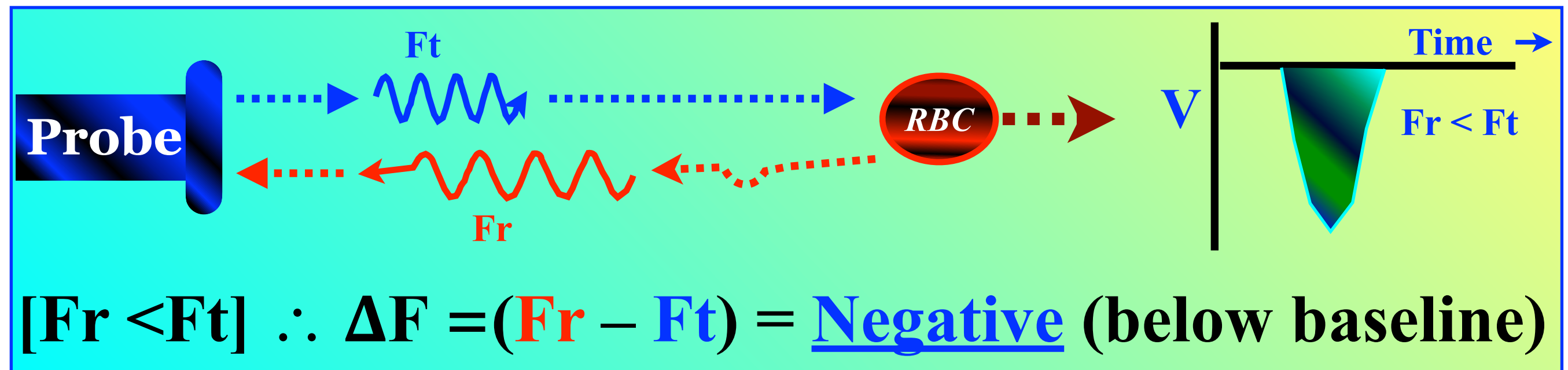


**[ $F_r = F_t$ ]  $\therefore \Delta F = (F_r - F_t) = \underline{\text{Zero}}$  (no flow detected)**



# Flash Card: Doppler Equation

$$\Delta F = V \cos \theta \frac{2F_t}{C}$$

There is a **two** in this equation because there are two Doppler shifts.

$\Delta F = \text{Delta } F = (F_r - F_t)$

$V$  = velocity of blood flow, This is what we are solving for!

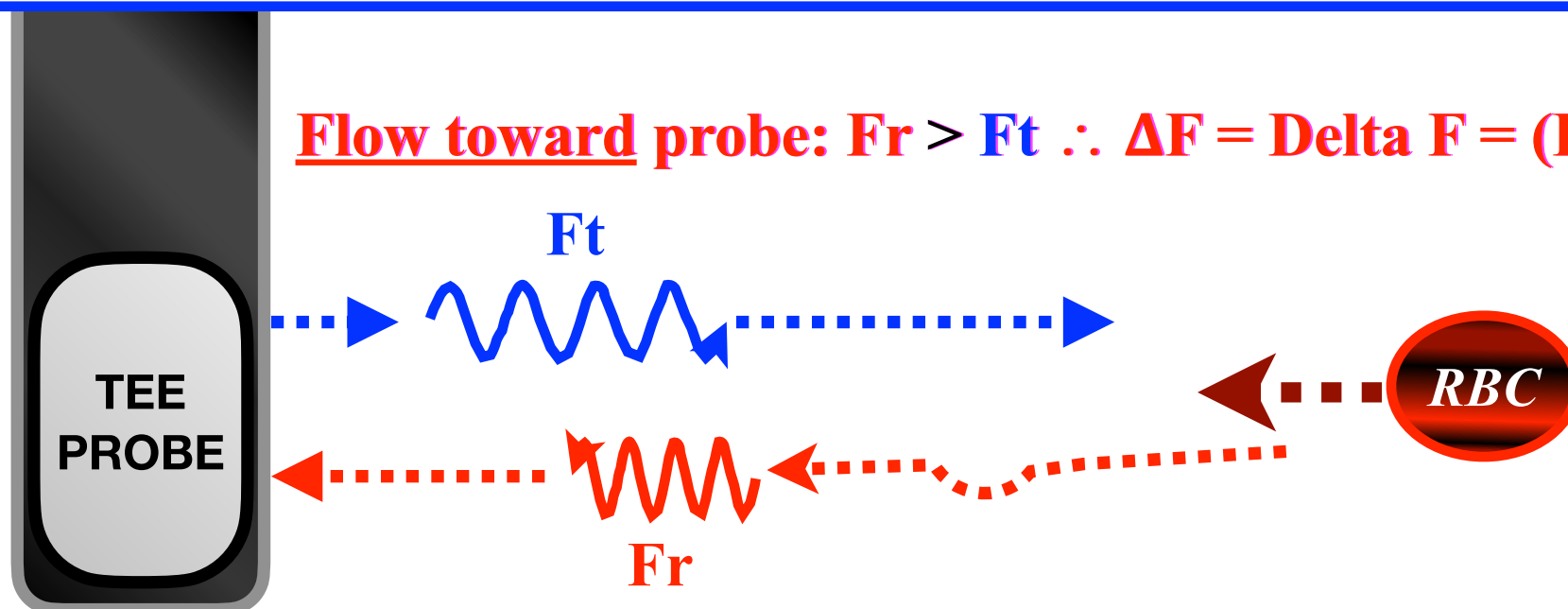
$\theta$  = Theta = angle between the US beam and blood flow.

$C$  = 1.54 mm/microsecond = 1540 m/s (speed of sound in soft tissue) (memorize this)

$F_r$  = freq received

$F_t$  = freq transmitted

**Flow toward probe:  $F_r > F_t \therefore \Delta F = \text{Delta } F = (F_r - F_t) = \text{Positive (above baseline)}$**



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Rewatch the Doppler lectures!

A color MAP = variance map is shown.

The type of flow (velocities) coded for by the color map are as follows:

A = Black = No Doppler shift. No flow detected.

B = Yellow = Turbulent flow toward the probe

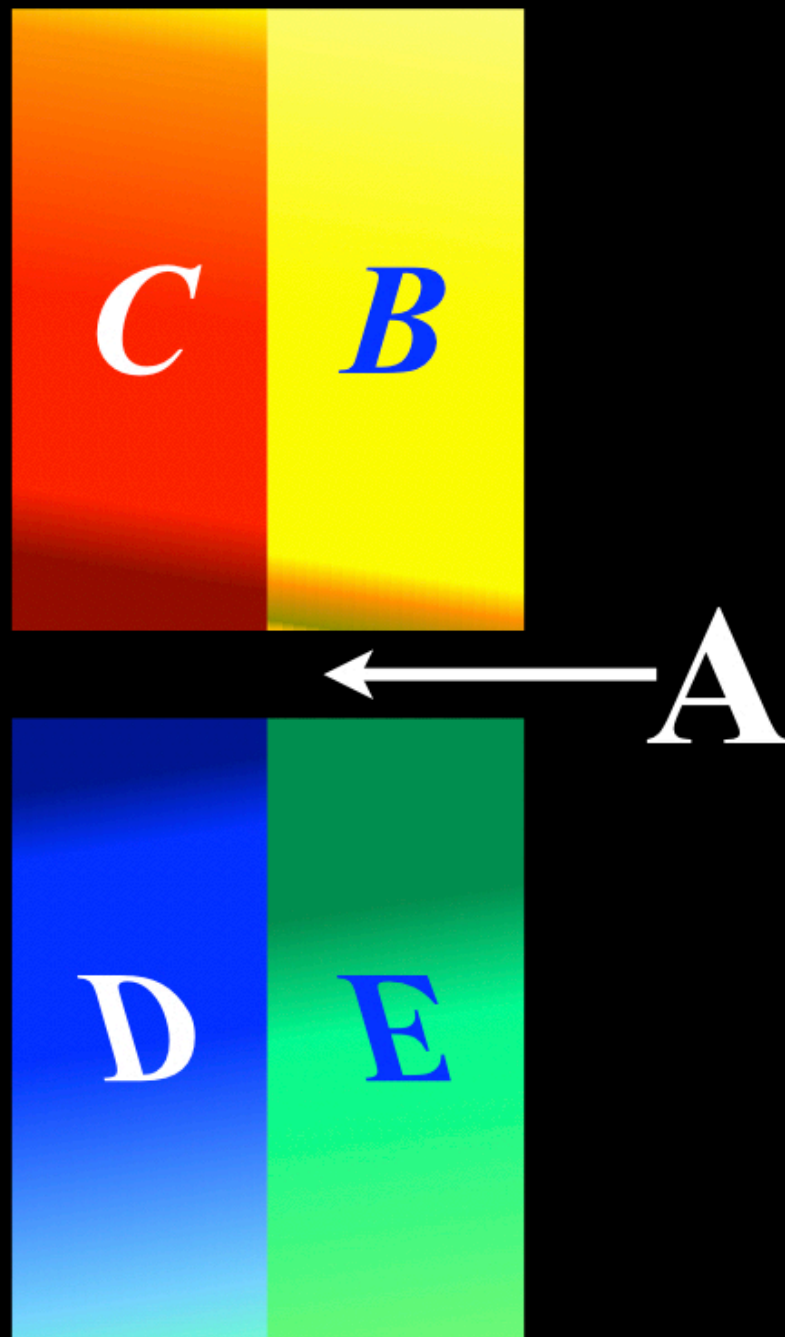
C = Red = Laminar flow toward the probe

D = Blue = Laminar away from the probe

E = Green = Turbulent away

References:

1. Understanding Ultrasound Physics by Edelman, SK, 3<sup>rd</sup> ed. Pages 314



$$\Delta F = \frac{V \cos \theta}{C} 2F_t$$

**The Nyquist limit is the max Doppler shift (NOT max velocity) that can be measured.**

**Nyquist limit =  $\frac{1}{2} \times \text{PRF}$  (PRF = pulse repetition frequency)**

**PRP = pulse repetition period = inverse of PRF, thus Nyquist limit =  $2 \times \text{PRP}$ .**

**The Nyquist limit is a  $\Delta F$  = Doppler shift = a Frequency.**

**The Nyquist limit is also called the Nyquist frequency.**

**A negative Doppler shift is displayed below the baseline.**

**A positive Doppler shift is displayed above the baseline**

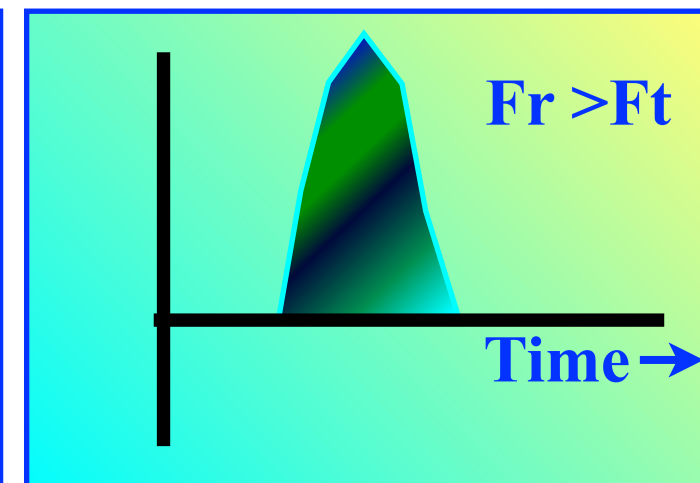
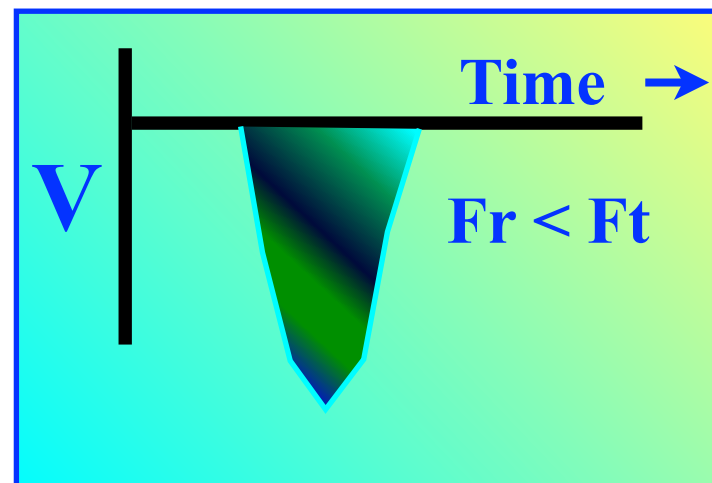
**Red cells moving away from the probe cause a NEGATIVE Doppler shift or  $\Delta F$ .**

**Red cells moving toward the probe will cause a POSITIVE Doppler shift or  $\Delta F = (\text{Received Freq} - \text{Transmitted Freq})$**

$$\Delta F = (\text{Received Freq} - \text{Transmitted Freq}) = (F_R - F_T)$$

**A negative Doppler shift occurs when the frequency received is LESS than the frequency transmitted.**

**A positive Doppler shift occurs when the frequency received is MORE than the frequency transmitted.**



**References:**

1. Understanding Ultrasound Physics by Edelman, SK, 3<sup>rd</sup> ed. Page 296
2. Mathew, JP et. al. Clinical Manual and Review of TEE, 3<sup>rd</sup> ed. McGraw-Hill 2019:13-16

# Flash Card Opportunity:

*IF Doppler angle is  $>0$ , V is underestimated.*

**Cosine 0 degrees = 1 (estimates actual velocity)**

**Cosine 20 degrees = 0.94 (6% underestimate of V)**

**Cosine 30 degrees = 0.87 (13% underestimation of V)**

**Cosine 50 degrees = 0.64 (36% underestimate of V)**

**Cosine 60 degrees = 0.50 (50% underestimate of V)**

**Cosine 90 degrees = 0 (No Doppler shift, No Velocity detected)**

**Aliasing artifact** occurs if the Doppler shift has exceeded  $\frac{1}{2}$  PRF.

$\frac{1}{2} \times \text{PRF}$  is known as the Nyquist limit or Nyquist frequency.

If the PRF is increased, it means that  $\frac{1}{2} \times \text{PRF}$  is also increased and if  $\frac{1}{2} \text{ PRF}$  is increased it makes it less likely that the Doppler shift will exceed this “Nyquist limit = Nyquist frequency”.

So, if PRF is increased,  $\frac{1}{2} \text{ PRF} = \text{Nyquist limit}$  is increased and aliasing is less likely.

$\frac{1}{2} \times \text{PRF} = \text{Nyquist limit (Nyquist frequency)} = \text{the Doppler shift above which aliasing artifact occurs.}$

#### 4 Ways to decrease aliasing artifact:

1. Decrease the depth of the sample volume
2. Lower the transmitted frequency
3. Adjust (optimize) the baseline to focus on the flow of interest
4. Use continuous wave Doppler.

**Decreasing the transmitted frequency** ( $F_t$ ) will decrease *aliasing artifact*.

I remember this in the following way (might not be perfectly correct but works for me):

If the transmitted frequency ( $F_t$ ) is decreased, then the calculated Doppler shift ( $\Delta F$ ) will be lower. We see this when we look at the Doppler equation:

$$\Delta F = V \cos \theta \frac{2F_t}{C}$$

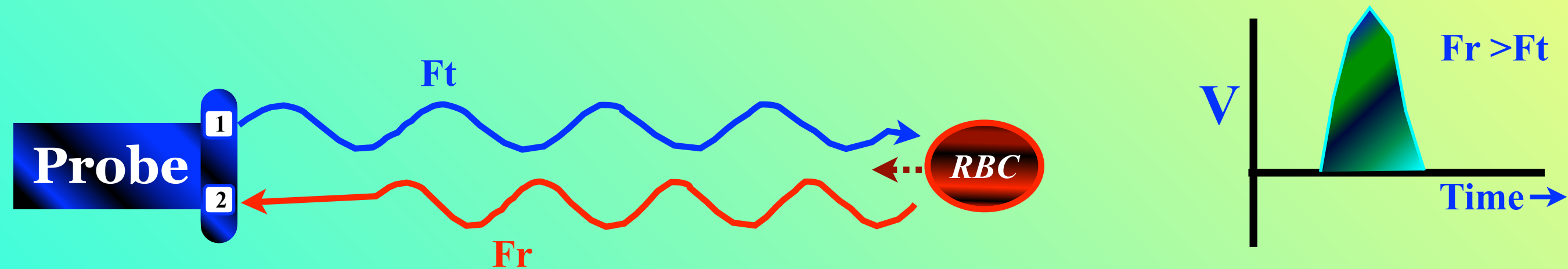
#### References:

1. Understanding Ultrasound Physics by Edelman, SK, 3<sup>rd</sup> ed. Pages 308-309

If  $F_t$  is lower, then the calculated  $\Delta F$  is lower, and it is less likely to exceed the max  $\Delta F$  or Nyquist frequency = Nyquist limit =  $\frac{1}{2} \times \text{PRF}$ .



# CW = Continuous Wave Doppler



$[F_r > F_t] \therefore \Delta F = (\mathbf{F_r} - \mathbf{F_t}) = \underline{\text{Positive}}$  (above baseline)

**CW: TWO crystals: 1 & 2**

**One continuously sending (1)**

**One continuously receiving (2)**

**CW Doppler involves NO damping**

**CW Doppler transducers have a narrow = small bandwidth.**

**CW Doppler transducers have a high Q factor = Quality factor.**

**Q factor = Quality factor = Resonant frequency / bandwidth**

**CW has NO Damping and this gives them a small band width, and increases Q factor.**

**CW Doppler transducers have two crystals: one continuously sending, one continuously receiving.**

**CW Doppler can measure high velocities.**

**CW Doppler lacks the ability to pin point the exact location of velocities**

**(No range resolution = range ambiguity).**

**Aliasing does NOT occur with CW Doppler.**

**References:**

- 1. Understanding Ultrasound Physics by Edelman, SK, 3<sup>rd</sup> ed. Page 296**
- 2. Mathew, JP et. al. Clinical Manual and Review of TEE, 3rd ed. McGraw-Hill 2019:13-16**